

RFID Privacy Without Killing

Ravi Pappu
Co-Founder
ThingMagic Inc.

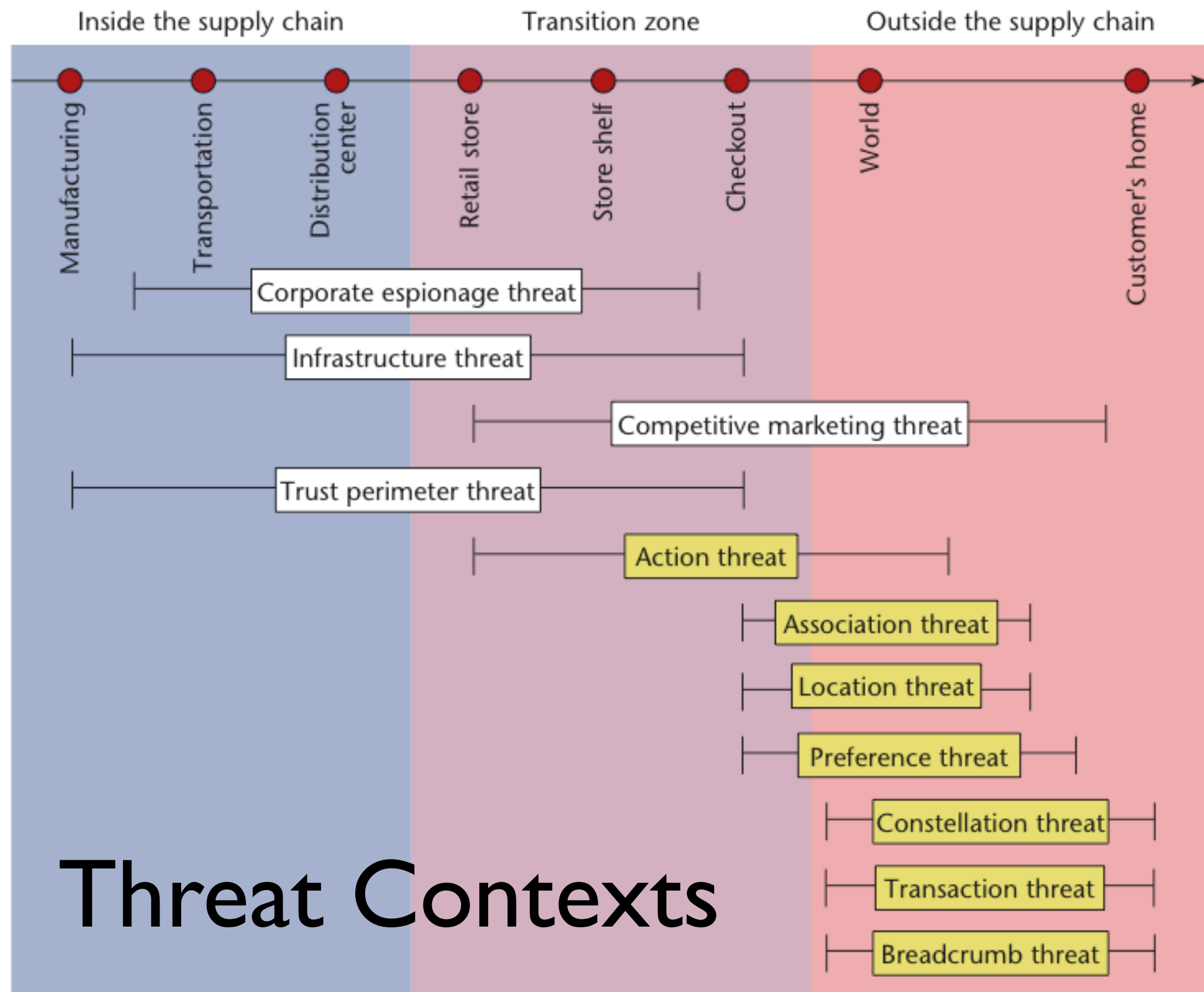
Joint work with Ari Juels (RSA, CUSP) and Bryan Parno (CMU)

Key messages

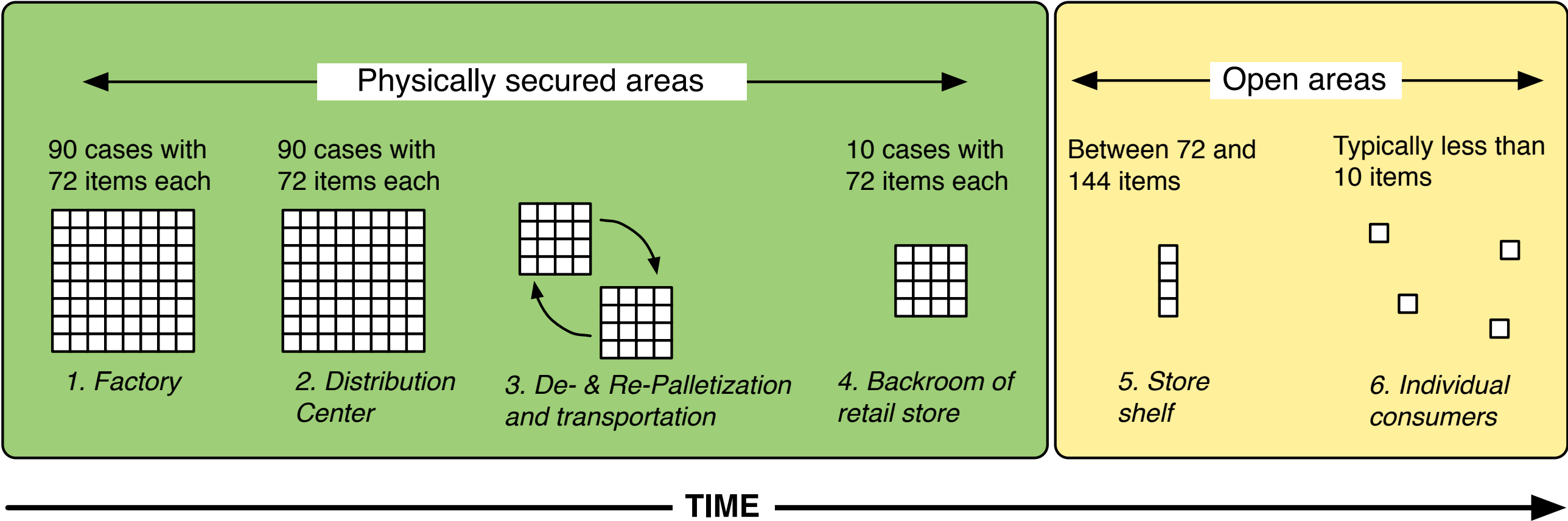
- Tiny Secret Sharing (TSS) enables consumer privacy *now*
 - ▶ No heroic measures required
 - ▶ No dependence on any particular standard \Rightarrow fully standards compliant
- Consumer privacy is achieved by exploiting the natural movement of tagged products through the supply chain
 - ▶ Privacy through dispersion and history erasure

Summary

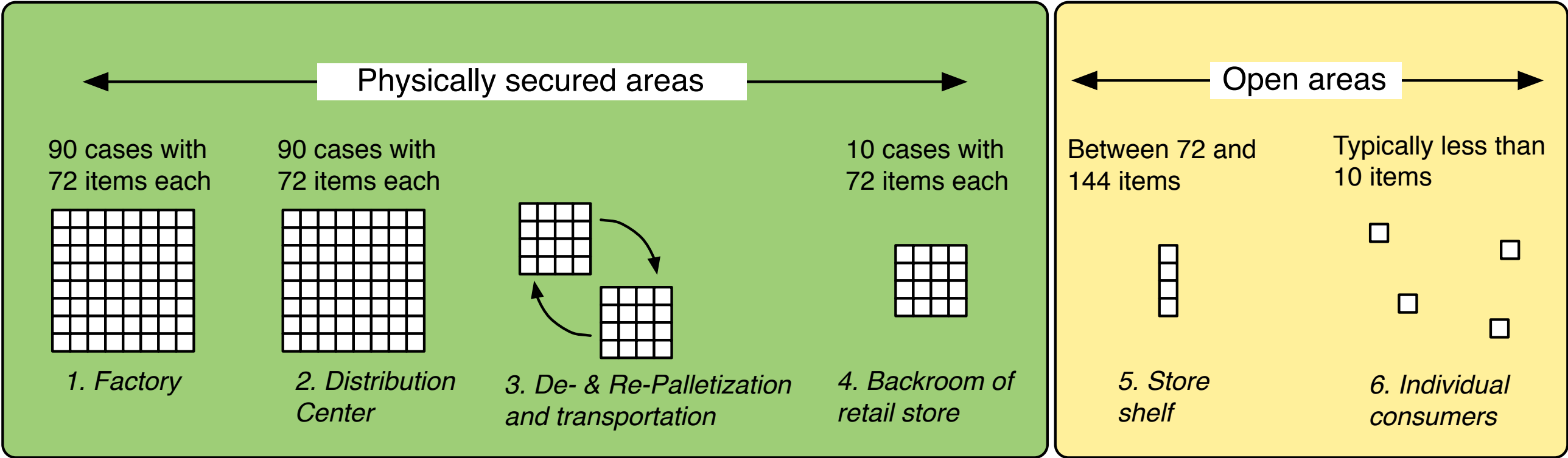
- Tiny Secret Sharing (TSS) enables RFID privacy without killing
- Encryption key length is a free-variable - security can be tailored.
- TSS is protocol-independent, and completely local - no network required.
- It scales to item-level tagging
- The only resources needed are tag memory and some computing power at reader
- TSS allows use of standard cryptographic mechanisms for encryption, hashing
- TSS fits naturally in many supply-chain scenarios where we have less than 100% reads and where stray tags or counterfeits are present.
- TSS solves key-management problem - enables privacy and write/lock PIN distribution.



Object Hierarchies



Object Hierarchies

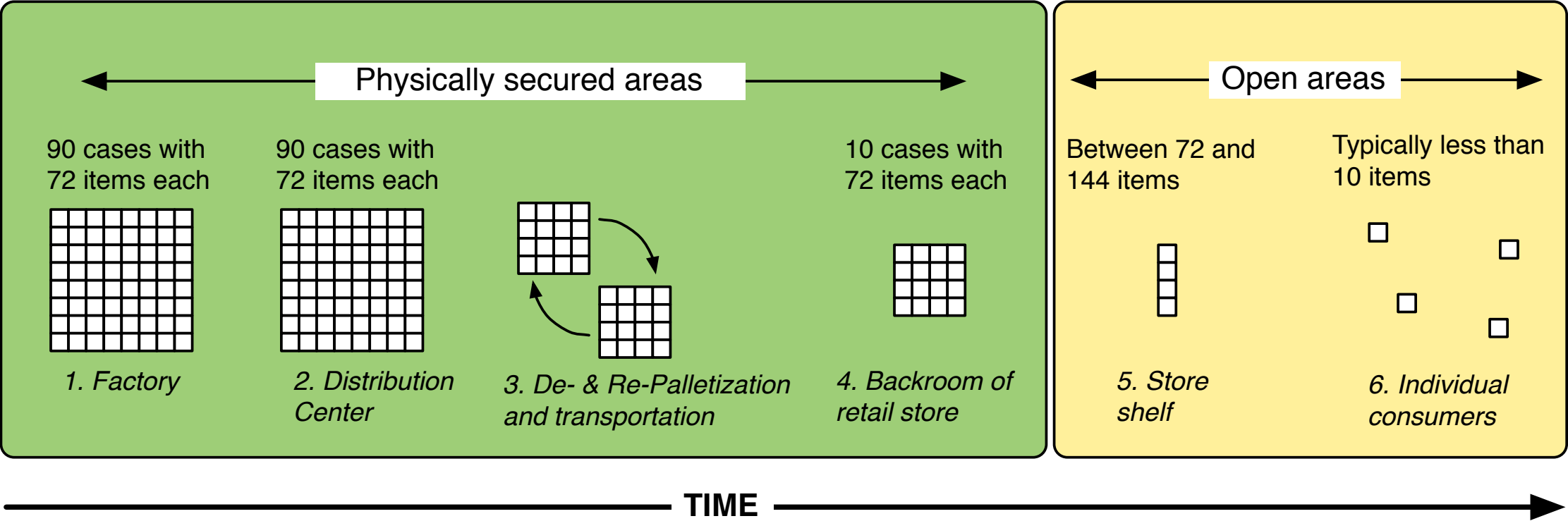


TIME →

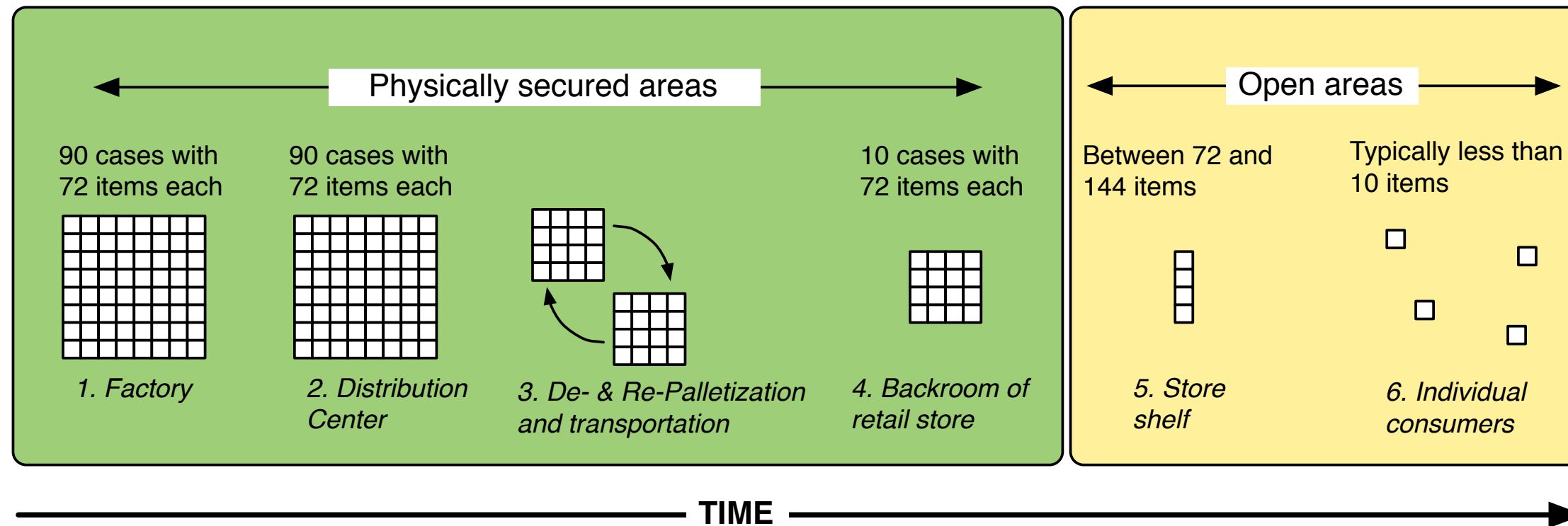
Razor blades	6571	730	144	5
DVDs	5040	2520	400	24
Pharma.	7200	1920	150	6

Source: EPCGlobal Item Level JRG

Object Hierarchies

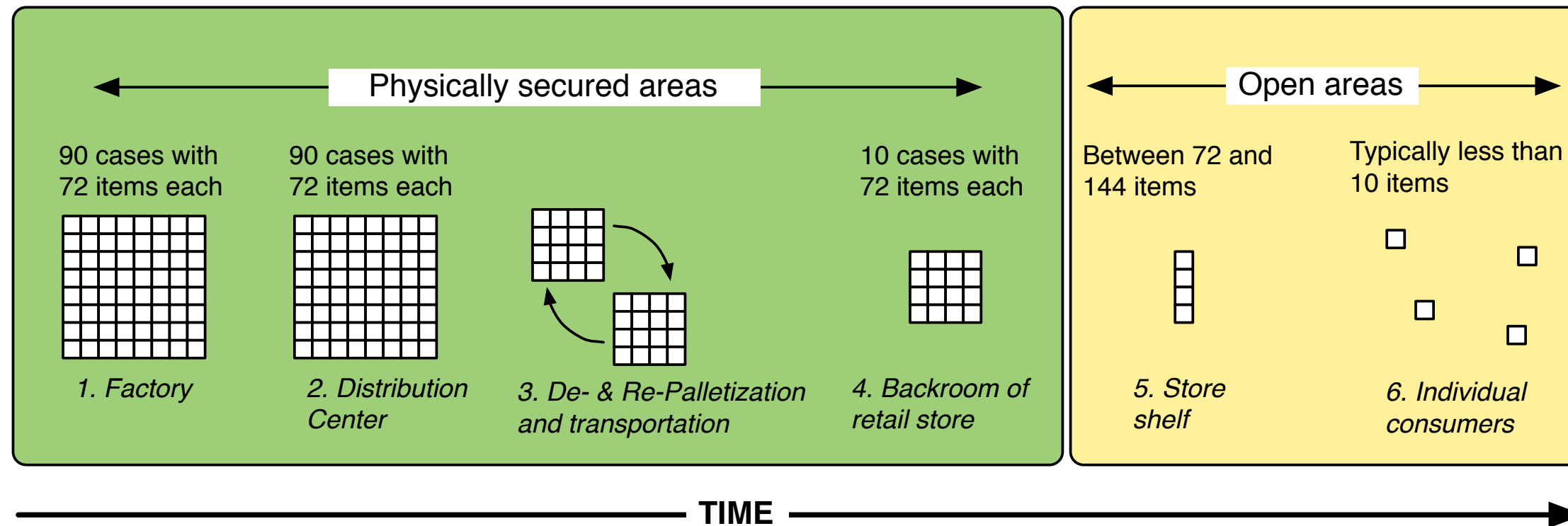


Object Hierarchies



Tags start out in large collections which become smaller over time.

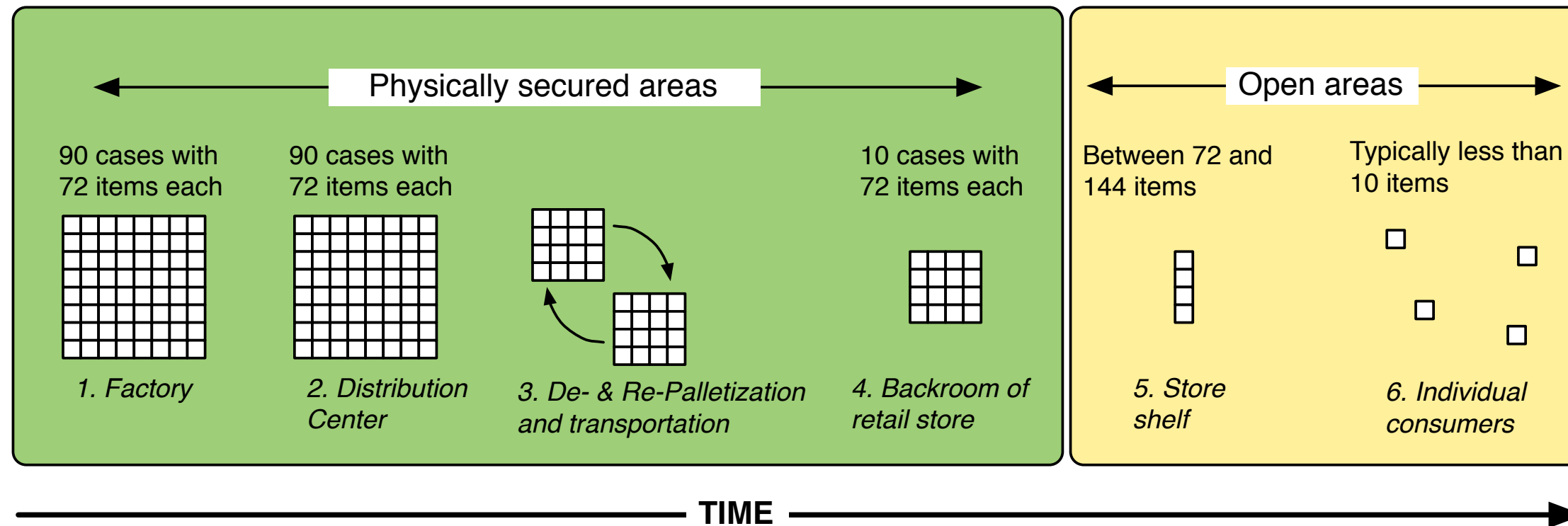
Object Hierarchies



Tags start out in large collections which become smaller over time.

Larger collections of tags are typically located in secure areas.

Object Hierarchies



Tags start out in large collections which become smaller over time.

Larger collections of tags are typically located in secure areas.

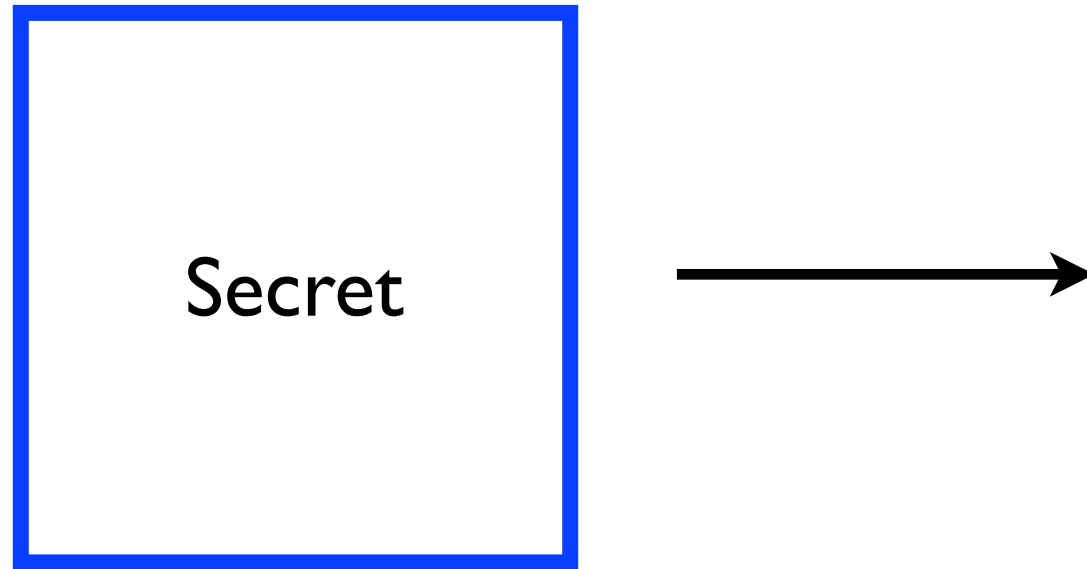
Shared context from earlier times is not available at later times to adversary.

Key question

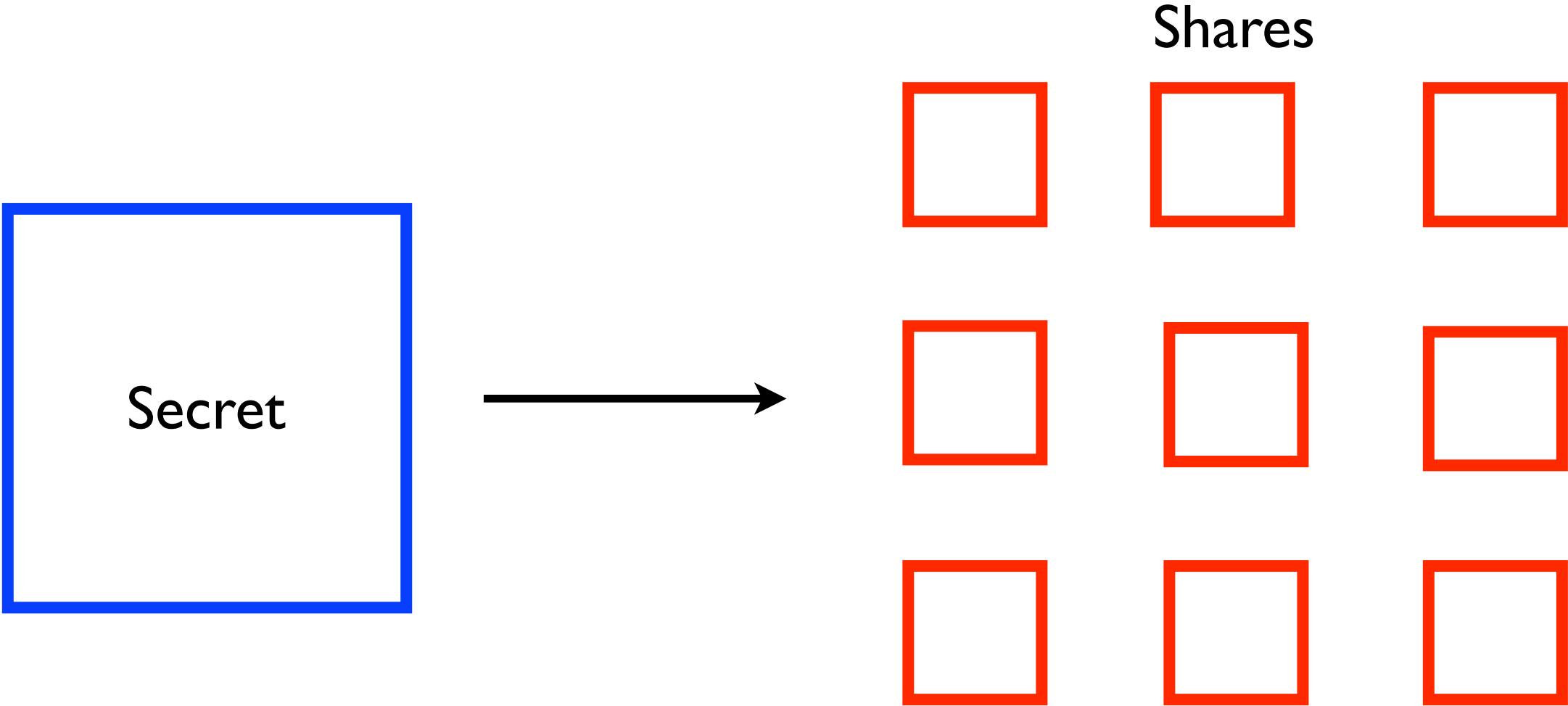
- Can we exploit the three observations to provide strong privacy in RFID-enabled supply chains?
- Yes! In order to do so, we turn to a cryptographic method called secret sharing.

Secret Sharing

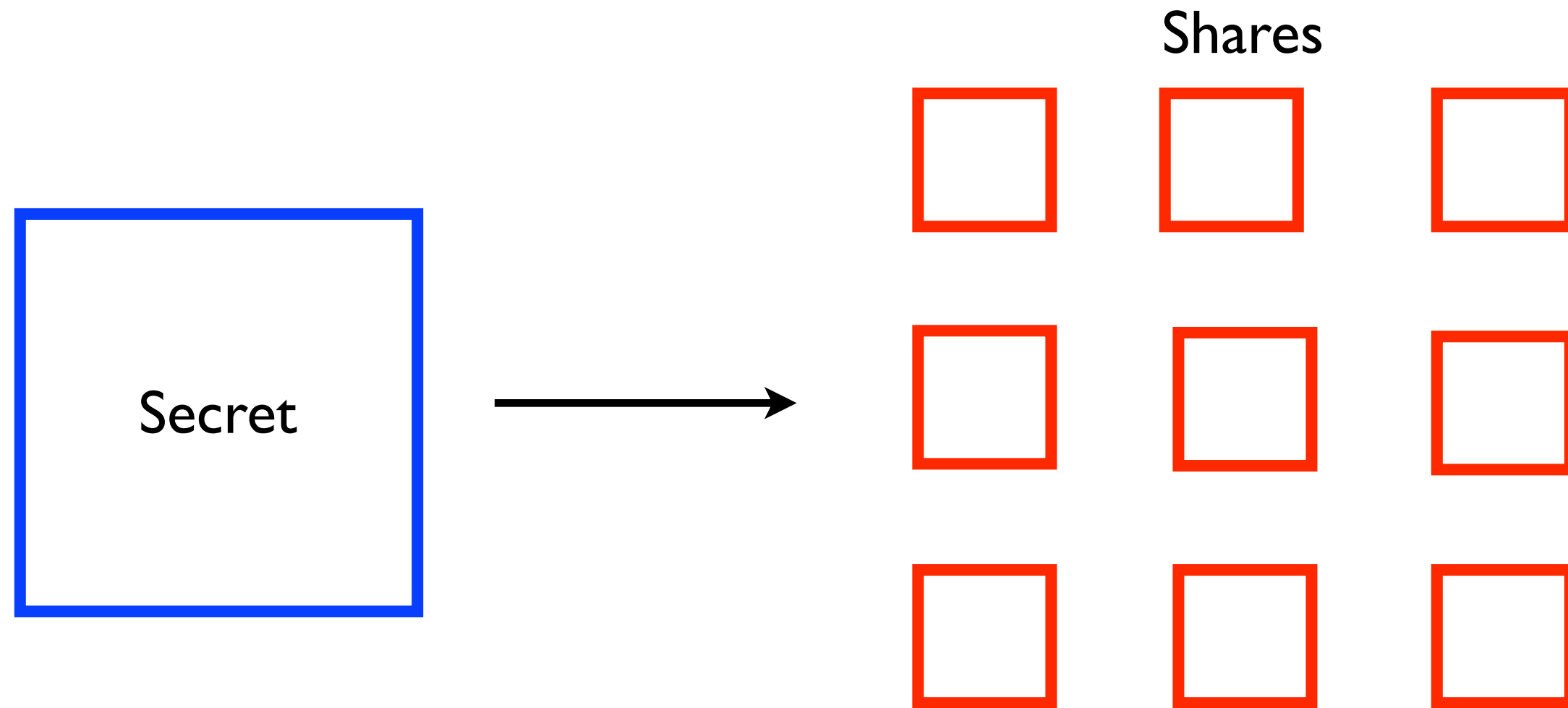
Secret Sharing



Secret Sharing

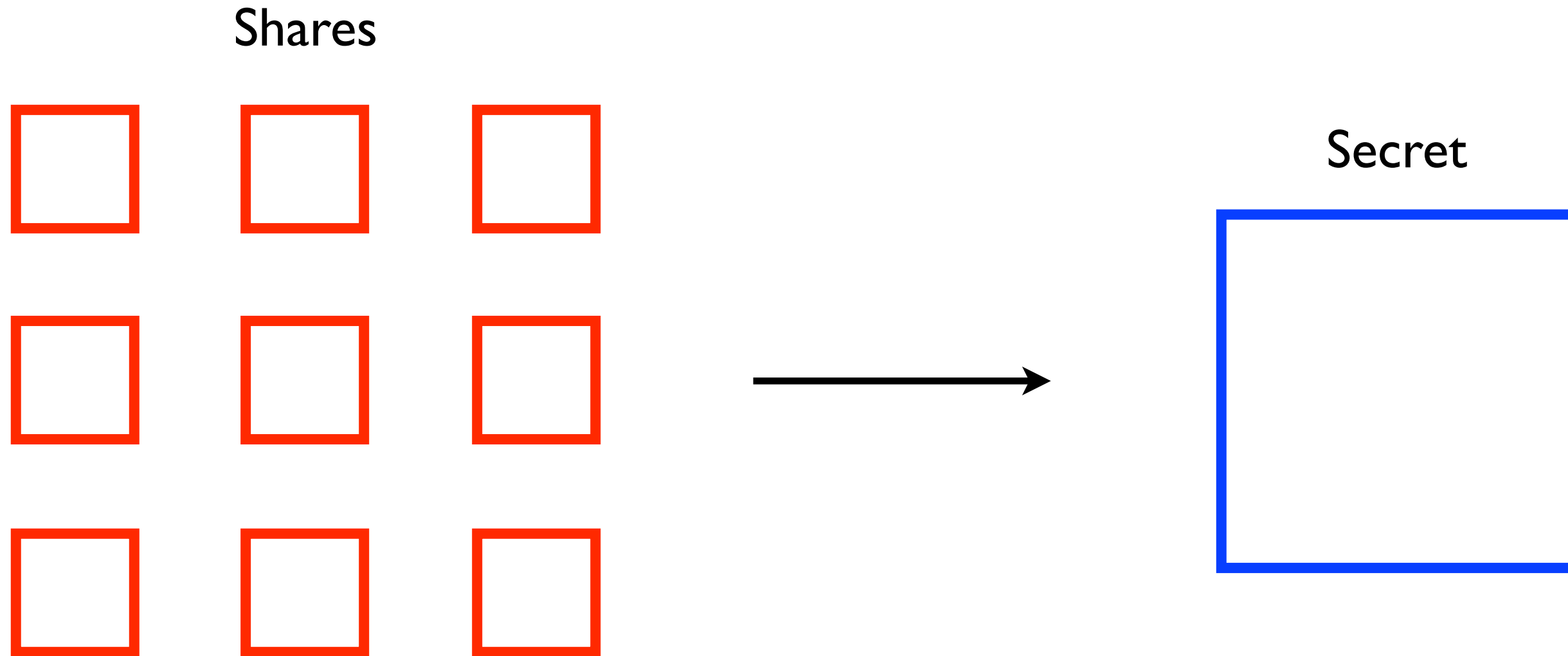


Secret Sharing



In practice, secrets are shared by evaluating polynomials over finite fields.

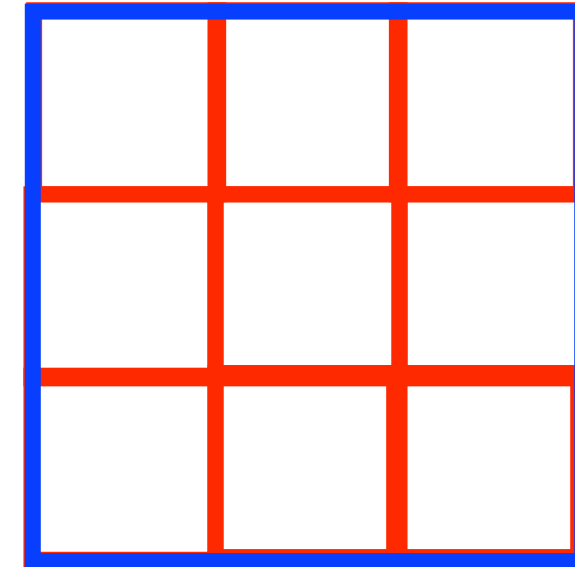
(n, n) secret sharing



All n shares required to recover secret
No information revealed if fewer than n shares available
Developed independently by Shamir and Blakely in 1974.

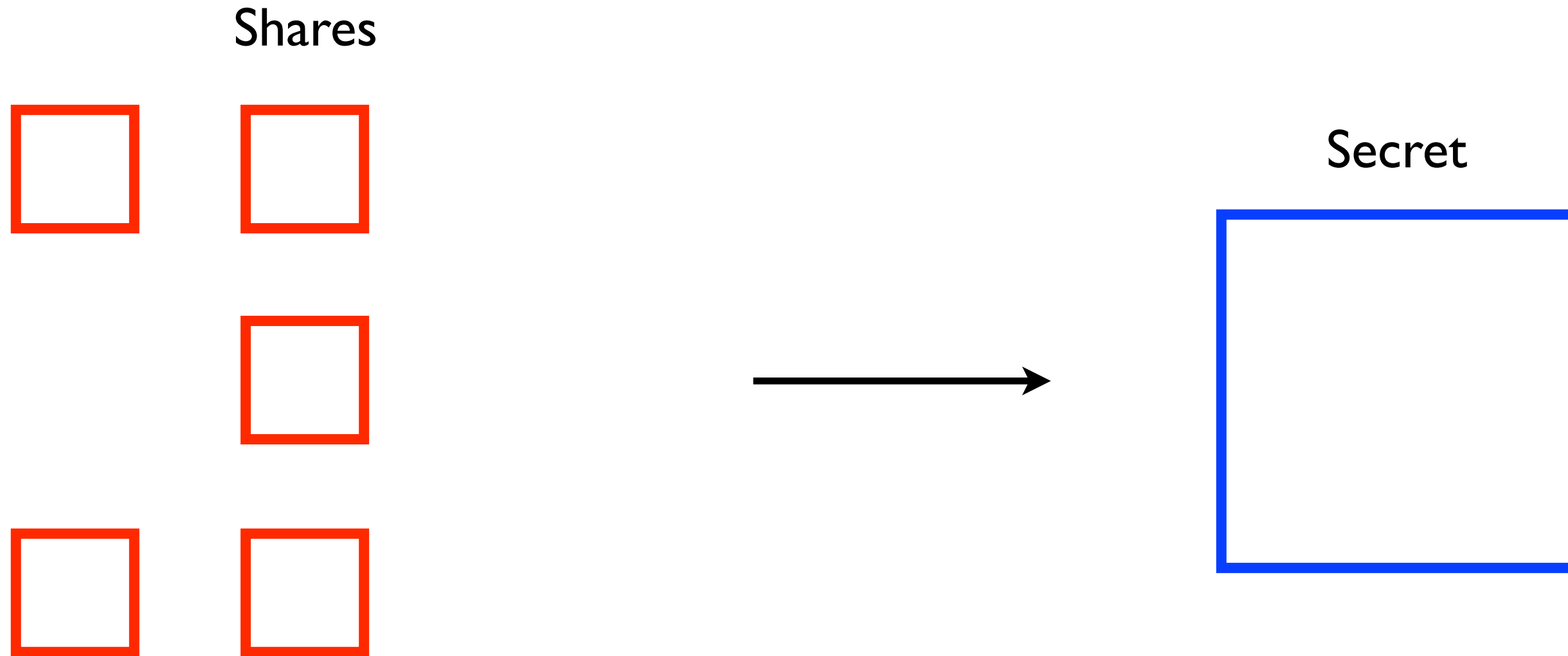
(n, n) secret sharing

Secret



All n shares required to recover secret
No information revealed if fewer than n shares available
Developed independently by Shamir and Blakely in 1974.

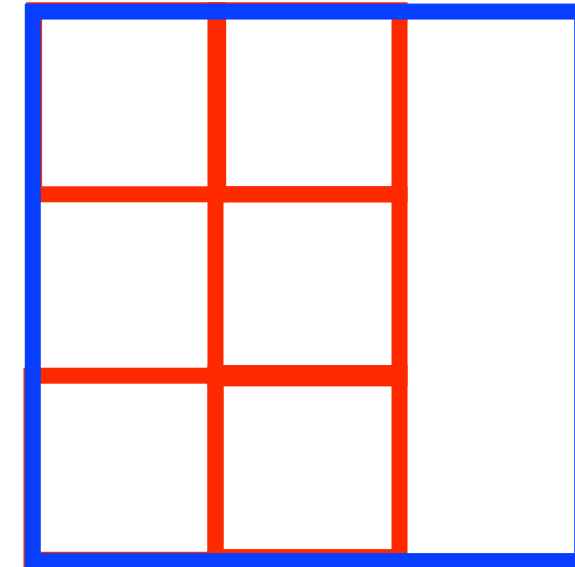
(k, n) secret sharing



Any k out of n shares are sufficient to recover secret.
No information revealed if fewer than k shares are available.

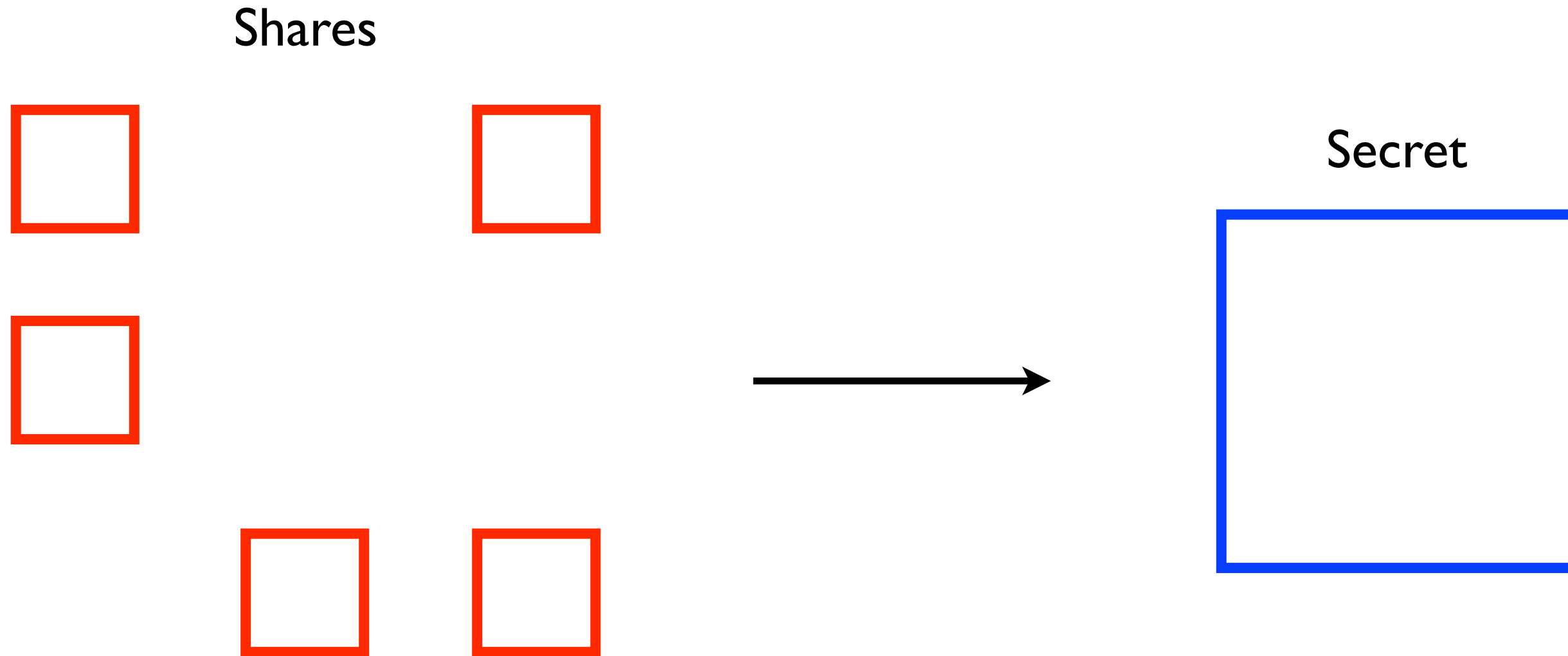
(k, n) secret sharing

Secret



Any k out of n shares are sufficient to recover secret.
No information revealed if fewer than k shares are available.

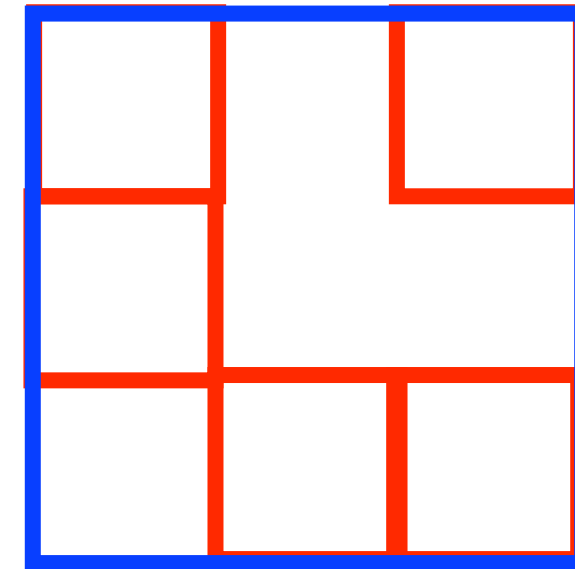
(k, n) secret sharing



Any k out of n shares are sufficient to recover secret.
No information revealed if fewer than k shares are available.

(k, n) secret sharing

Secret



Any k out of n shares are sufficient to recover secret.
No information revealed if fewer than k shares are available.

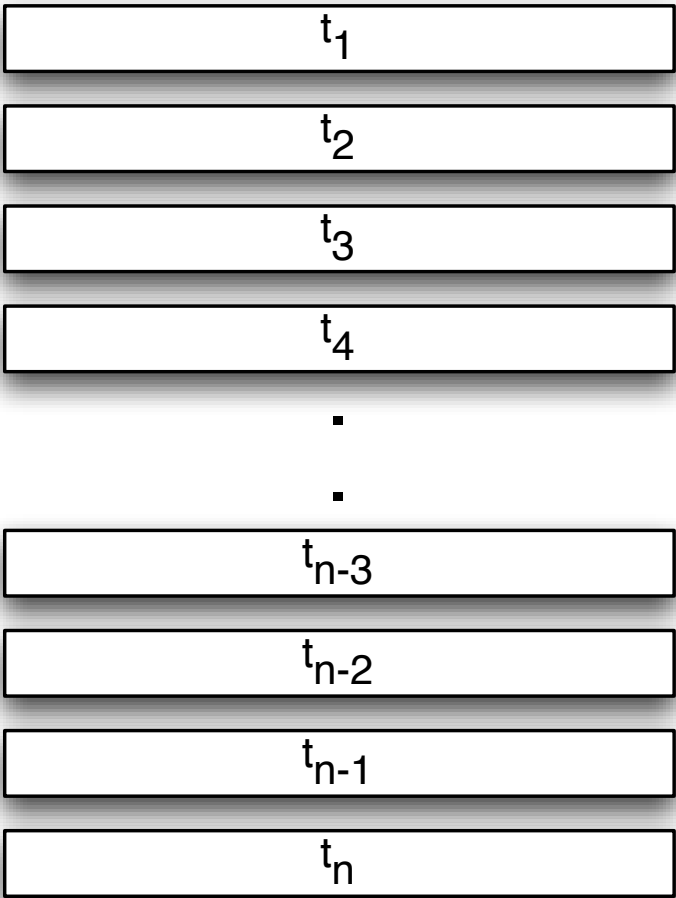
Our approach



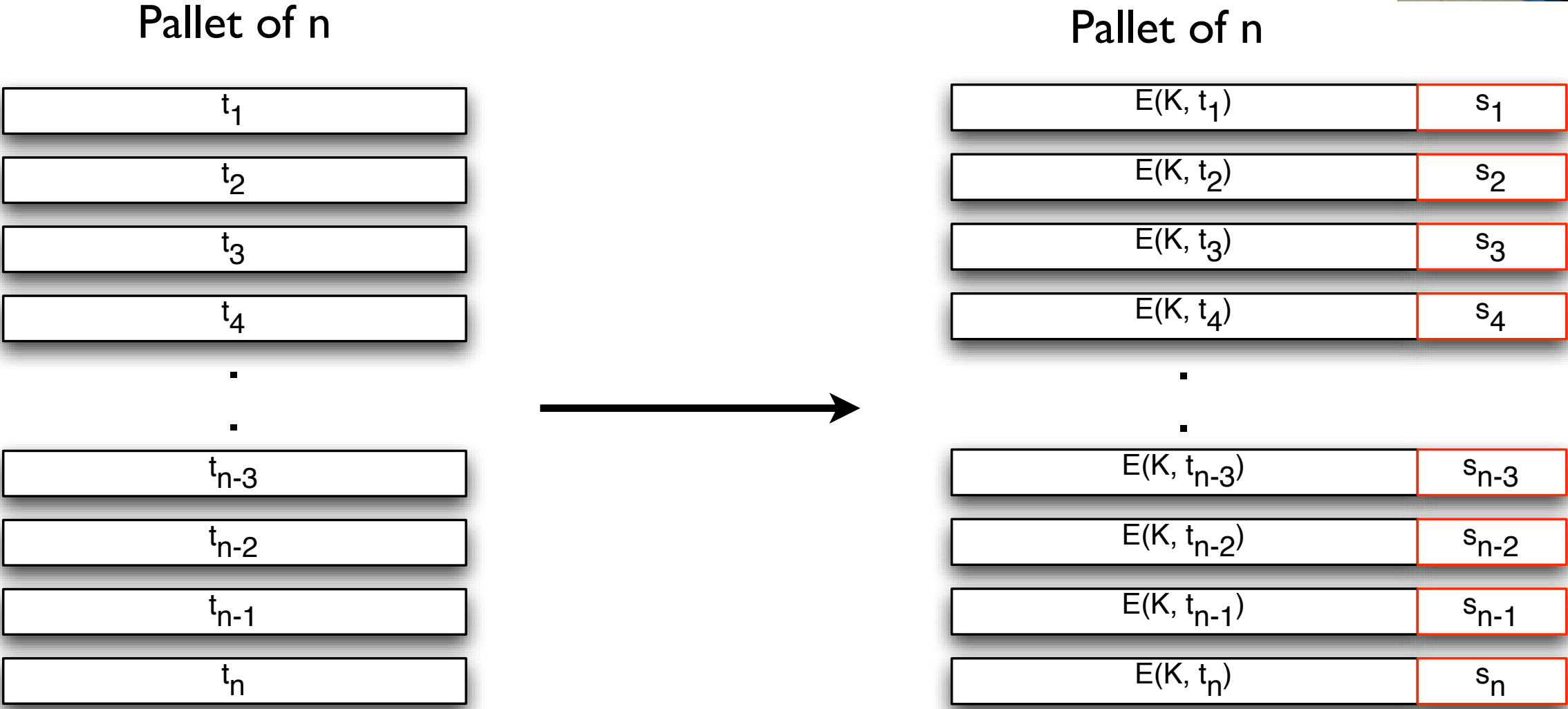
Our approach



Pallet of n



Our approach

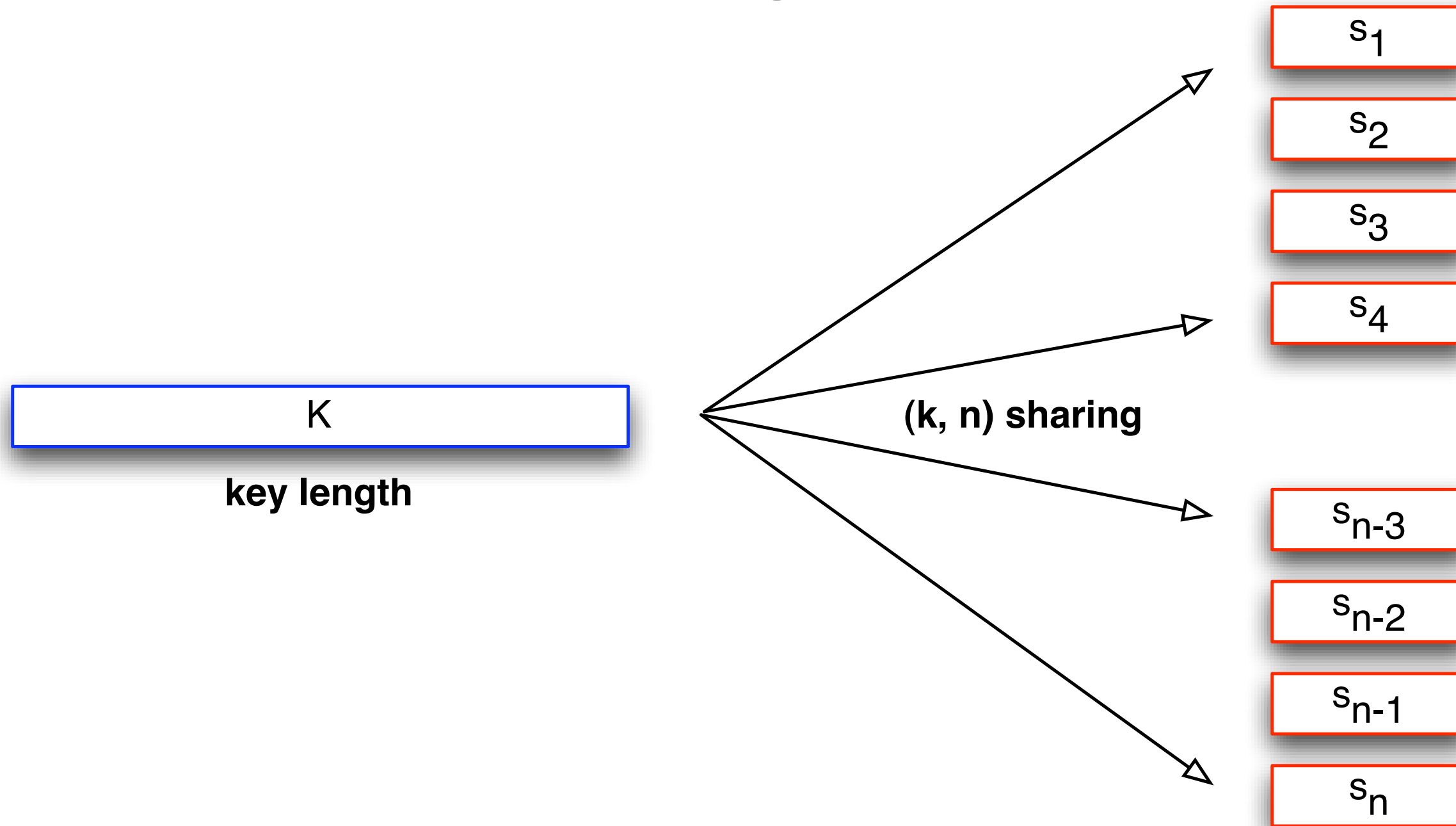


Encrypt all tags using a pallet-specific secret key K .
Append a share of the secret to each tag.

System level challenges

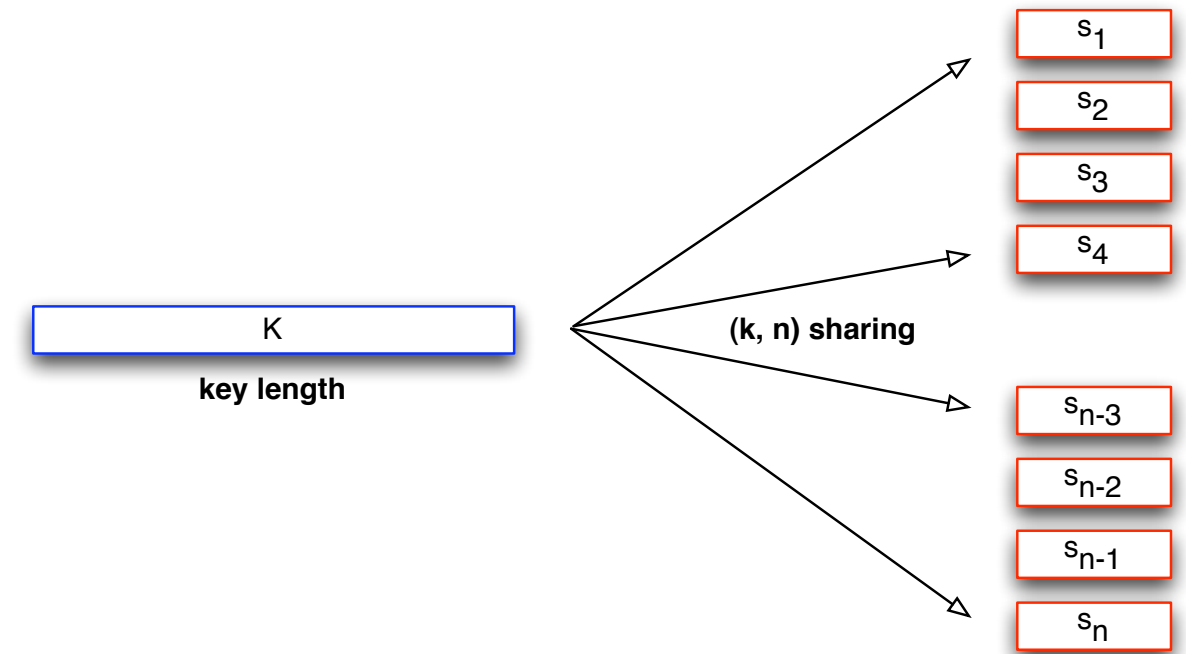
Need to decide encryption method, key size, sharing/recovery algorithm, share size

System level challenges



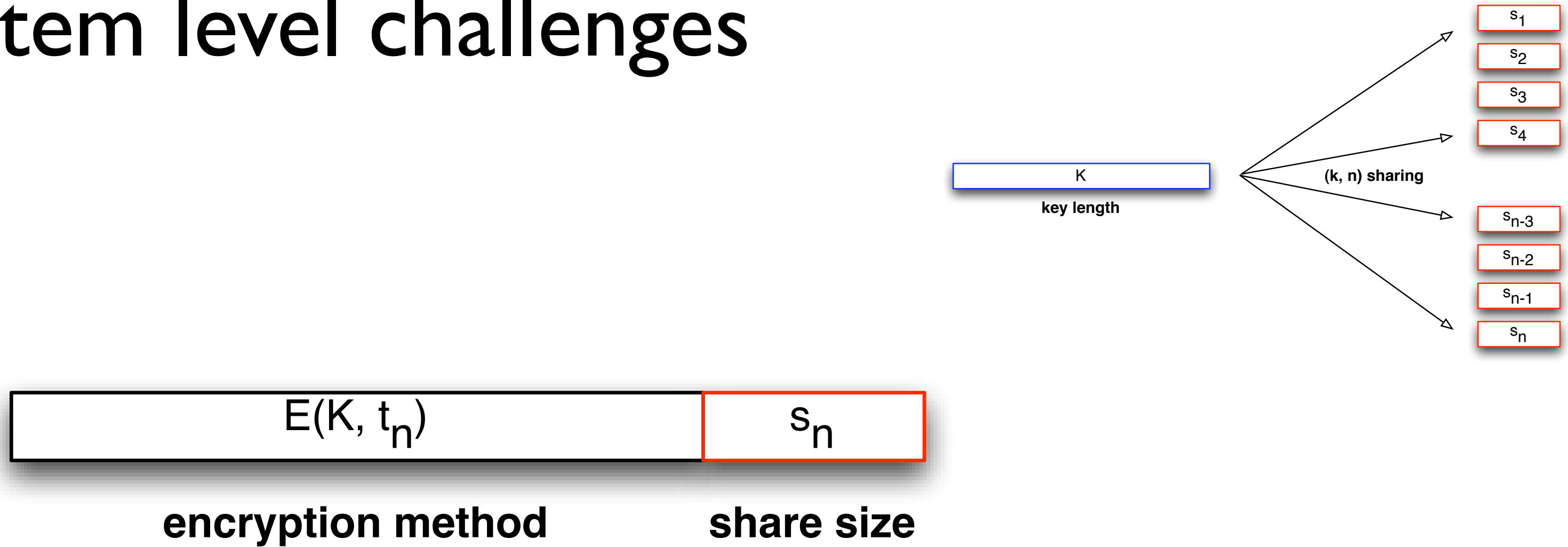
Need to decide encryption method, key size, sharing/recovery algorithm, share size

System level challenges



Need to decide encryption method, key size, sharing/recovery algorithm, share size

System level challenges

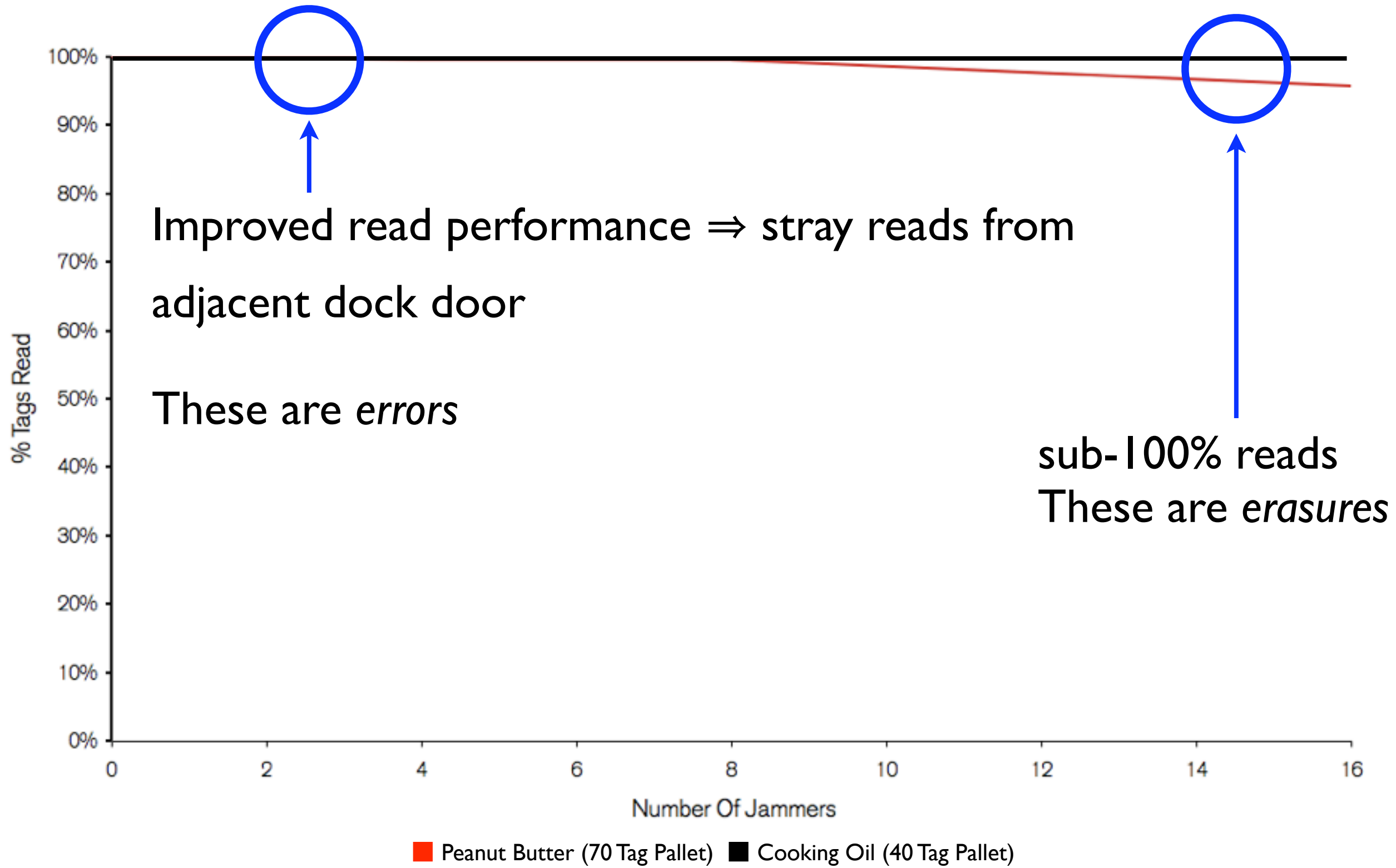


Need to decide encryption method, key size, sharing/recovery algorithm, share size

Practical requirements

- Share size has to be *tiny*, because tag memory is at a premium
 - ▶ Krawczyk (1994) focused on *short* shares, but even these are 128 bits long.
 - ▶ Current memory capacity on EPC Gen2 tags is 96 bits \Rightarrow Tiny Secret Sharing
- Sharing and recovery algorithms have to be computationally efficient.
- System should be robust against
 - ▶ changes in the order of tag reading i.e. permutation invariance
 - ▶ sub-100% read rates
 - ▶ stray reads (or counterfeits)

Mercury5 read performance



Reed-Solomon Codes

- (n, k, d) codes over $GF(2^m)$
- Total number of symbols = number of tags = n
- Symbols required to recover message = threshold number of tags = k
- Code can detect and correct upto $s = (d/2)$ errors = stray tags or counterfeits
- Code can detect and correct upto $r = (d - 1)$ erasures = missed tags
- With s stray tags and r missed tags, code can correct as long as $2s + r < d$
- This formulation is identical to (k, n) secret sharing
- Encoding and decoding are efficient on low-powered machines

Permutation invariance

- RS codes originally invented to solve digital communication problems
- Order of code symbols is usually preserved

$$(s_1, s_2, s_3 \dots s_{n-2}, s_{n-1}, s_n) \rightarrow (s_1, s_2, s_3 \dots s_{n-2}, s_{n-1}, s_n)$$

- In RFID, code symbols are always permuted, because order of tag reading is based on randomization at the MAC layer.

$$(s_1, s_2, s_3 \dots s_{n-2}, s_{n-1}, s_n) \rightarrow (s_6, s_1, s_{n-4} \dots s_n, s_7, s_3)$$

- In order to use RS codes, we also need to make the symbol index available at destination.

$$(\{s_6, 6\}, \{s_1, 1\}, \{s_{n-4}, (n-4)\} \dots \{s_n, n\}, \{s_7, 7\}, \{s_3, 3\})$$

Permutation invariance 2

Permutation invariance 2

$E(K, t_1)$	s_1	1
$E(K, t_2)$	s_2	2
▪		
▪		
$E(K, t_{n-1})$	s_{n-1}	$n-1$
$E(K, t_n)$	s_n	n

Permutation invariance 2

$E(K, t_1)$	s_1	1
$E(K, t_2)$	s_2	2
⋮		
$E(K, t_{n-1})$	s_{n-1}	$n-1$
$E(K, t_n)$	s_n	n

Permutation invariance 2

$E(K, t_1)$	$s_H(E(K, t_1))$
-------------	------------------

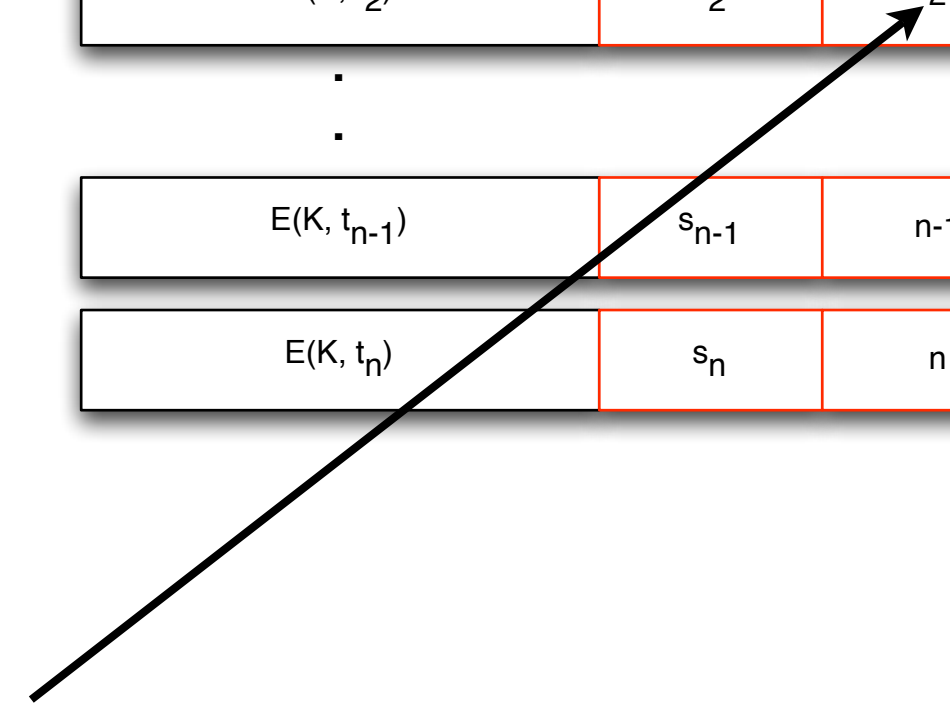
$E(K, t_2)$	$s_H(E(K, t_2))$
-------------	------------------

- Instead of adding **separate index**, use uniqueness of the
- EPC to generate symbol index on the fly via hashing

$E(K, t_{n-1})$	$s_H(E(K, t_{n-1}))$
-----------------	----------------------

$E(K, t_n)$	$s_H(E(K, t_n))$
-------------	------------------

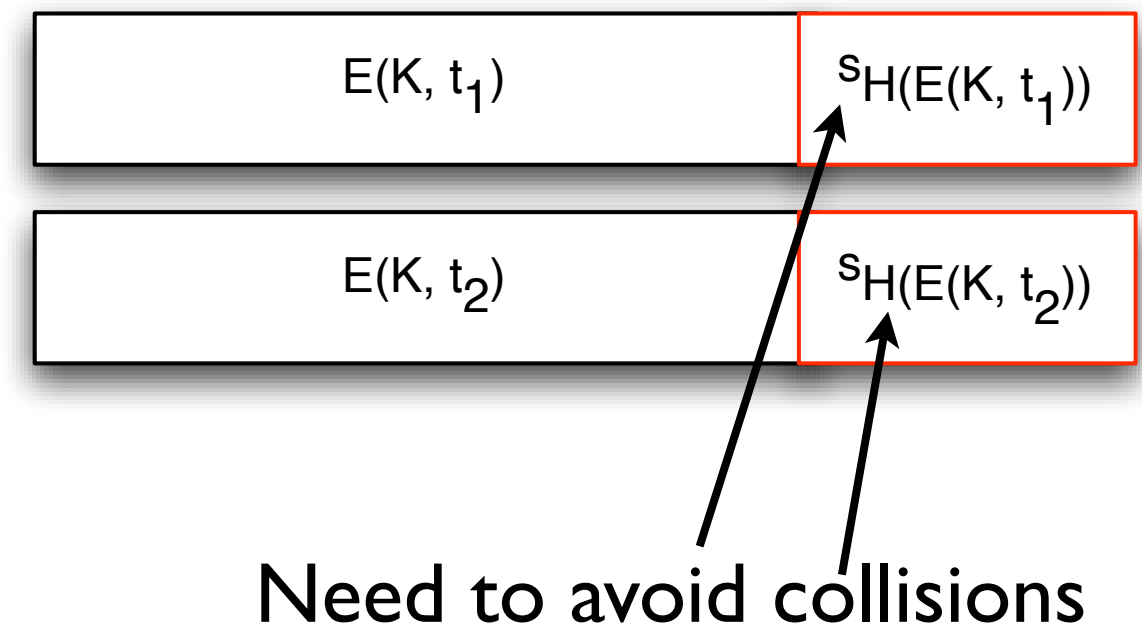
$E(K, t_1)$	s_1	1
$E(K, t_2)$	s_2	2
⋮		
$E(K, t_{n-1})$	s_{n-1}	n-1
$E(K, t_n)$	s_n	n



Field size

- Field size $GF(2^m)$ needs to be chosen to avoid index collisions.
- If we have n tags, then $2^m \geq n^2$ or $m \geq \log_2(n^2)$

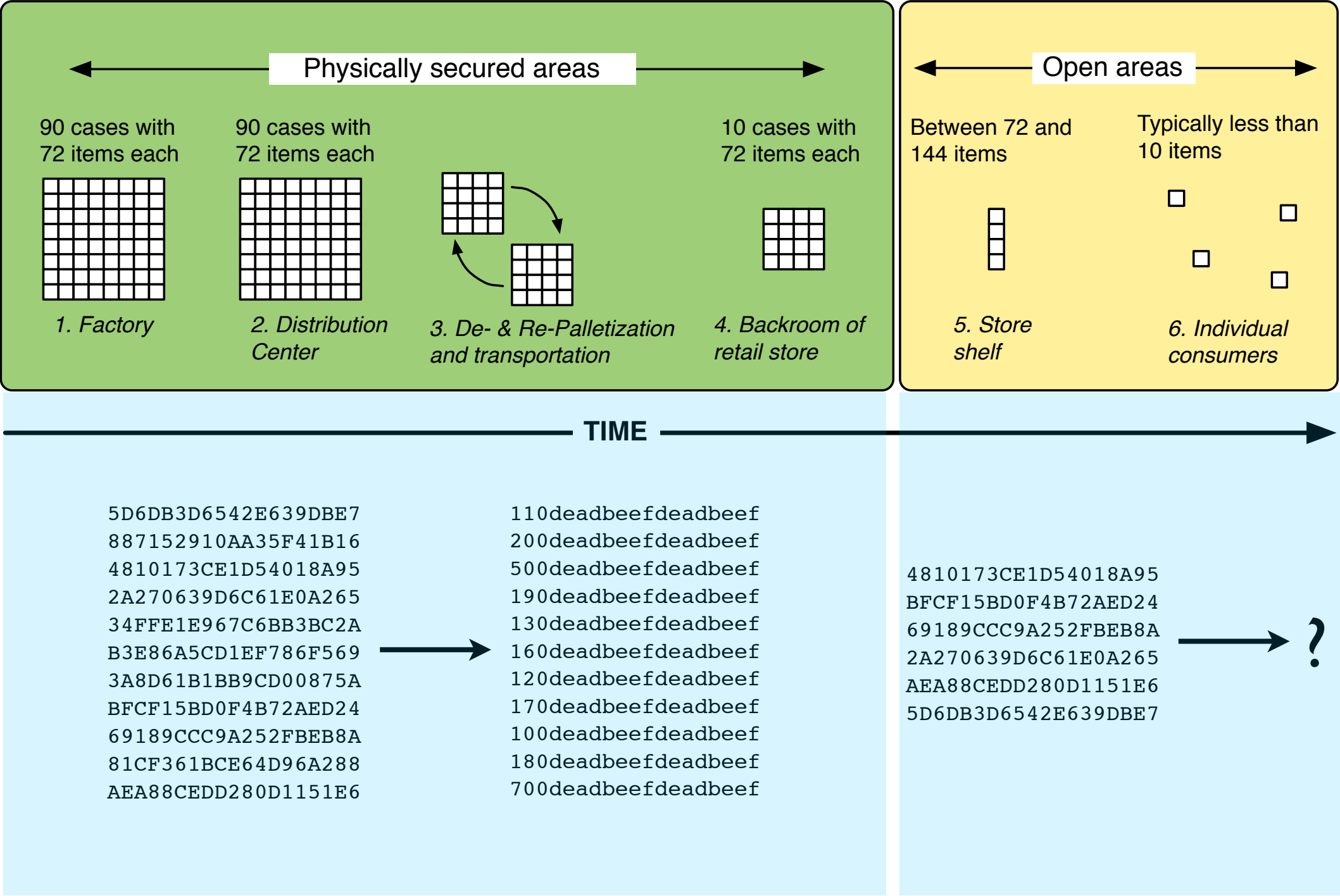
# of tags n	# of bits in shares m
50	12
256	16
1000	20
10000	27



(15, 20) TSS scheme over GF(2¹⁶)



RFID privacy without killing



Summary

- Tiny Secret Sharing (TSS) enables RFID privacy without killing
- Encryption key length is a free-variable - security can be tailored.
- TSS is protocol-independent, and completely local - no network required.
- It scales to item-level tagging
- The only resources needed are tag memory and some computing power at reader
- TSS allows use of standard cryptographic mechanisms for encryption, hashing
- TSS fits naturally in many supply-chain scenarios where we have less than 100% reads and where stray tags or counterfeits are present.
- TSS solves key-management problem - enables privacy and write/lock PIN distribution.

Key messages

- Tiny Secret Sharing (TSS) enables consumer privacy *now*
 - ▶ No heroic measures required
 - ▶ No dependence on any particular standard \Rightarrow fully standards compliant
- Consumer privacy is achieved by exploiting the natural movement of tagged products through the supply chain
 - ▶ Privacy through dispersion and history erasure

What's next?

- Real implementation on ThingMagic Mercury5 reader in progress
- Discussion about implementation in real-world needs to happen
 - ▶ Pharmaceutical supply chain appears to be ideal
- Secret sharing across time or Sliding Window Information Secret Sharing (SWISS) also detailed in paper below
- Preprint available at <http://eprint.iacr.org/2008/044>
- Questions: ravi.pappu@thingmagic.com